Objective: The students will complete assignment 17.3 Rotations and will demonstrate their understanding with an accuracy rate of $70 \%$ or higher on Quiz-19 tomorrow.*

Standards G-CO. Experiment with transformations in the plane.

## Mathematics I

## WHANTOO YOU NEED?

 \& A working Chromebook

## TURN IN LATE OR MISSINE WORK

*/f accuracy of $70 \%$ or higher is not achieved, the student(s) will be required to retake it.


## Rules for Rotations Around the Origin on a Coordinate Plane

| $90^{\circ}$ rotation counterclockwise | $(x, y) \rightarrow(-y, x)$ |
| :--- | :--- |
| $180^{\circ}$ rotation | $(x, y) \rightarrow(-x,-y)$ |
| $270^{\circ}$ rotation counterclockwise | $(x, y) \rightarrow(y,-x)$ |
| $360^{\circ}$ rotation | $(x, y) \rightarrow(x, y)$ |

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### 17.3 Rotations - Class \& Homework

$$
17.3
$$

1 Suppose you are given a figure and a center of rotation P. Complete the descriptions of two different ways you can use a ruler and protractor to draw the image of the figure after a $195^{\circ}$ counterclockwise rotation around $P$.

$$
360^{\circ}-195^{\circ}=165^{\circ}
$$

Method 1: Use the ruler and protractor to draw a $165^{\circ}$ clockwise rotation of the figure.

$$
195^{\circ}-180^{\circ}=15^{\circ}
$$

Method 2: First draw a $180^{\circ}$ counterclockwise rotation of the figure. Then draw a $15^{\circ}$ counterclockwise rotation of the image.

Determine whether each statement about the rotation ( $x, y$ ) arrowright $(y, x)$ is true or false. Select True or False for each statement.

```
270}\mp@subsup{}{}{\circ}\mathrm{ rotation counterclockwise
(x,y)->(y,-x)
```

| Statement | True | False |
| :--- | :--- | :--- |
| Every point in Quadrant III is mapped to a point in Quadrant IV. |  |  |
|  |  |  |
| Points on the $x$-axis are mapped to points on the $y$-axis. |  |  |
| The origin is fixed under the rotation. |  |  |
|  |  |  |
| The rotation has the same effect as a $90^{\circ}$ clockwise rotation. |  |  |
| The angle of rotation is $180^{\circ}$. |  |  |
| A point on the line $y=x$ is mapped to another point on the line $y=x$. |  |  |

An animator is drawing a scene in which a ladybug moves around three mushrooms. The figure shows the starting position of the ladybug. The animator rotates the ladybug $180^{\circ}$ around mushroom $A$, then $180^{\circ}$ around mushroom B, and finally $180^{\circ}$ around mushroom $C$. What are the final coordinates of the ladybug?


The final coordinates of the ladybug are ( $(,-6)$.

4A tower has a revolving restaurant 715 feet above the ground. The restaurant makes a complete revolution every 45 minutes. While a visitor was at the tower, the restaurant rotated through $168^{\circ}$. How long was the visitor at the tower?

The tower rotates through $360^{\circ}$ in 45 minutes. Let $x$ be the number of minutes the visitor was at the tower. Set up a proportion.

$$
\begin{aligned}
\frac{x}{45} & =\frac{168}{360} \\
360 x & =45 \cdot 168 \\
\frac{360 x}{360} & =\frac{7560}{360} \\
x & =21
\end{aligned}
$$

The visitor was at the tower for 21 minutes.


A Ferris wheel has 15 cars that are equally spaced around the circumference of the wheel. The wheel rotates so that the car at the bottom of the ride is replaced by the next car. By how many degrees does the wheel rotate?

$$
360^{\circ} \div 15=24^{\circ}
$$



The Ferris wheel rotates $24{ }^{\circ}$ between successive cars being at the bottom. rotation of $90^{\circ}$. (Hint: To find the image of line, choose two or more points on the line and find the images of the points.)

$$
\begin{array}{l|l}
90^{\circ} \text { rotation counterclockwise }(x, y) \rightarrow(-y, x) \\
\hline
\end{array}
$$



Pick two point on the line $\ell$, that is passes through $\mathbf{A}(-2,-1)$ and $\mathbf{B}(2,0)$.

Rotate the points to $A^{\prime}(-1,2)$ and $B^{\prime}(0,-2)$

Find the slope

$$
m=\frac{B_{y}^{\prime}-A_{y}^{\prime}}{B_{x}^{\prime}-A_{x}^{\prime}}=\frac{-2-(2)}{0-(-1)}=-4
$$

the point-slope formula

$$
y-(-2)=-4(x-(0))
$$

and solve for $y$.

$$
y=-4 x-2
$$




The figure shows the image of $\triangle M N P$ after a counterclockwise rotation of $90^{\circ}$. Select the figure showing $\triangle M N P$.

$90^{\circ}$ rotation counterclockwise $(-y, x) \rightarrow(x, y)$

* Keep y same, but put in place of $x$
* Switch sign on $x$, put in place of $y$.

$$
\begin{aligned}
& M^{\prime}(1,5) \text {, so } M \text { are }(5,-1) . \\
& N^{\prime}(2,2) \text {, so } N \text { are }(2,-2) . \\
& P^{\prime}(5,1) \text {, so } P \text { are }(1,-5) .
\end{aligned}
$$



10 Select the image of the triangle after it has been rotated about the origin by $270^{\circ}$.

* Since every $90^{\circ}$ rotation moves the preimage around the origin by 1 quadrant, a $270^{\circ}$ rotation moves the preimage from quadrant 2 to quadrant 1 .



## Never say, "I can't" Always say, "I'll try"

