

Formulas

Angles

Sum of the measures of the interior angles of a triangle: 180° (p. 218)

Sum of the measures of the interior angles of a convex n -gon: $(n - 2) \cdot 180^\circ$ (p. 507)

Exterior angle of a triangle:

$$m\angle 1 = m\angle A + m\angle B \quad (\text{p. 219})$$

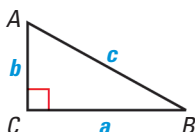


Sum of the measures of the exterior angles of a convex polygon: 360° (p. 509)

Right Triangles

Pythagorean Theorem:

$$c^2 = a^2 + b^2 \quad (\text{p. 433})$$



Trigonometric ratios:

$$\sin A = \frac{BC}{AB} \quad (\text{p. 473})$$

$$\sin^{-1} \frac{BC}{AB} = m\angle A \quad (\text{p. 483})$$

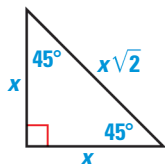
$$\cos A = \frac{AC}{AB} \quad (\text{p. 473})$$

$$\cos^{-1} \frac{AC}{AB} = m\angle A \quad (\text{p. 483})$$

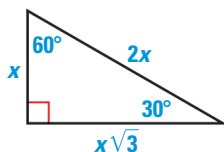
$$\tan A = \frac{BC}{AC} \quad (\text{p. 466})$$

$$\tan^{-1} \frac{BC}{AC} = m\angle A \quad (\text{p. 483})$$

45°-45°-90° triangle (p. 457)



30°-60°-90° triangle (p. 459)

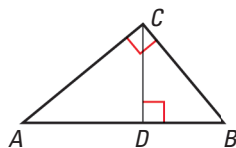


Ratio of sides:
 $1:1:\sqrt{2}$

Ratio of sides:
 $1:\sqrt{3}:2$

$\triangle ABC \sim \triangle ACD \sim \triangle CBD$
(p. 449)

$$\frac{BD}{CD} = \frac{CD}{AD}, \frac{AB}{CB} = \frac{CB}{DB}, \frac{AB}{AC} = \frac{AC}{AD} \quad (\text{p. 451})$$



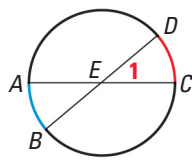
$$\frac{BD}{CD} = \frac{CD}{AD}, \text{ and } CD = \sqrt{AD \cdot DB} \quad (\text{pp. 359, 452})$$

Circles

Angle and segments formed by two chords:

$$m\angle 1 = \frac{1}{2}(m\widehat{CD} + m\widehat{AB}) \quad (\text{p. 681})$$

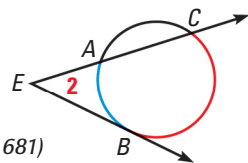
$$EA \cdot EC = EB \cdot ED \quad (\text{p. 689})$$



Angle and segments formed by a tangent and a secant:

$$m\angle 2 = \frac{1}{2}(m\widehat{BC} - m\widehat{AB}) \quad (\text{p. 681})$$

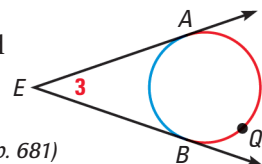
$$EB^2 = EA \cdot EC \quad (\text{p. 691})$$



Angle and segments formed by two tangents:

$$m\angle 3 = \frac{1}{2}(m\widehat{AQB} - m\widehat{AB}) \quad (\text{p. 681})$$

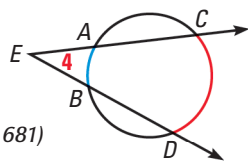
$$EA = EB \quad (\text{p. 654})$$



Angle and segments formed by two secants:

$$m\angle 4 = \frac{1}{2}(m\widehat{CD} - m\widehat{AB}) \quad (\text{p. 681})$$

$$EA \cdot EC = EB \cdot ED \quad (\text{p. 690})$$



Coordinate Geometry

Given: points $A(x_1, y_1)$ and $B(x_2, y_2)$

$$\text{Midpoint of } \overline{AB} = \left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right) \quad (\text{p. 16})$$

$$AB = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \quad (\text{p. 17})$$

$$\text{Slope of } \overrightarrow{AB} = \frac{\text{rise}}{\text{run}} = \frac{y_2 - y_1}{x_2 - x_1} \quad (\text{p. 171})$$

Slope-intercept form of a linear equation with slope m and y -intercept b : $y = mx + b$ (p. 180)

Standard equation of a circle with center (h, k) and radius r : $(x - h)^2 + (y - k)^2 = r^2$ (p. 699)

$$\text{Taxicab distance } AB = |x_2 - x_1| + |y_2 - y_1| \quad (\text{p. 198})$$

Perimeter

P = perimeter, C = circumference,
 s = side, ℓ = length, w = width,
 a, b, c = lengths of the sides of a triangle,
 r = radius

Polygon: P = sum of side lengths (p. 49)

Square: $P = 4s$ (p. 49)

Rectangle: $P = 2\ell + 2w$ (p. 49)

Triangle: $P = a + b + c$ (p. 49)

Regular n -gon: $P = ns$ (pp. 49, 765)

Circle: $C = 2\pi r$ (p. 49)

Arc length of $\widehat{AB} = \frac{m\widehat{AB}}{360^\circ} \cdot 2\pi r$ (p. 747)

Area

A = area, s = side, b = base, h = height,
 ℓ = length, w = width, d = diagonal,
 a = apothem, P = perimeter, r = radius

Square: $A = s^2$ (pp. 49, 720)

Rectangle: $A = lw$ (pp. 49, 720)

Triangle: $A = \frac{1}{2}bh$ (pp. 49, 721)

Parallelogram: $A = bh$ (p. 721)

Trapezoid: $A = \frac{1}{2}h(b_1 + b_2)$ (p. 730)

Rhombus: $A = \frac{1}{2}d_1d_2$ (p. 731)

Kite: $A = \frac{1}{2}d_1d_2$ (p. 731)

Equilateral triangle: $A = \frac{1}{4}\sqrt{3}s^2$ (pp. 726, 766)

Regular polygon: $A = \frac{1}{2}aP$ (p. 763)

Circle: $A = \pi r^2$ (pp. 49, 755)

Area of a sector: $A = \frac{m\widehat{AB}}{360^\circ} \cdot \pi r^2$ (p. 756)

Surface Area

B = area of a base, P = perimeter,
 C = circumference, h = height, r = radius,
 ℓ = slant height

Right prism: $S = 2B + Ph$ (p. 804)

Right cylinder: $S = 2B + Ch$
 $= 2\pi r^2 + 2\pi r h$ (p. 805)

Regular pyramid: $S = B + \frac{1}{2}P\ell$ (p. 811)

Right cone: $S = B + \frac{1}{2}C\ell$
 $= \pi r^2 + \pi r \ell$ (p. 812)

Sphere: $S = 4\pi r^2$ (p. 838)

Volume

V = volume, B = area of a base,
 h = height, r = radius, s = side length

Cube: $V = s^3$ (p. 819)

Prism: $V = Bh$ (p. 820)

Cylinder: $V = Bh = \pi r^2 h$ (p. 820)

Pyramid: $V = \frac{1}{3}Bh$ (p. 829)

Cone: $V = \frac{1}{3}Bh = \frac{1}{3}\pi r^2 h$ (p. 829)

Sphere: $V = \frac{4}{3}\pi r^3$ (p. 840)

Miscellaneous

Geometric mean of a and b : $\sqrt{a \cdot b}$ (p. 359)

Euler's Theorem for Polyhedra, F = faces,
 V = vertices, E = edges: $F + V = E + 2$ (p. 795)

Given: similar polygons or similar solids
with a scale factor of $a : b$

Ratio of perimeters = $a : b$ (p. 374)

Ratio of areas = $a^2 : b^2$ (p. 737)

Ratio of volumes = $a^3 : b^3$ (p. 848)

Given a quadratic equation $ax^2 + bx + c = 0$,
the solutions are given by the formula:

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \quad (\text{pp. 641, 883})$$